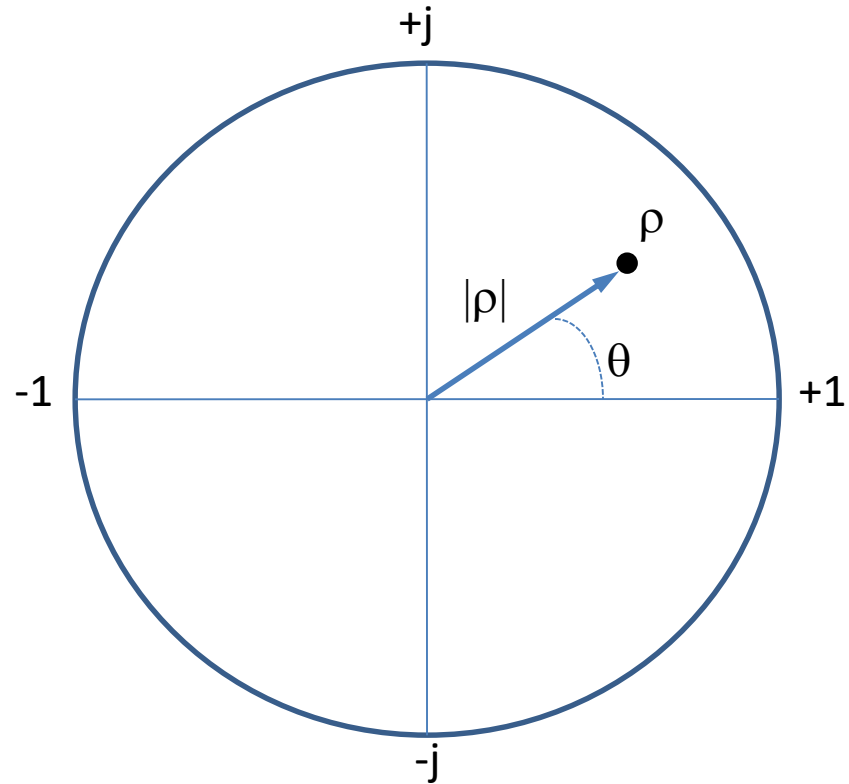
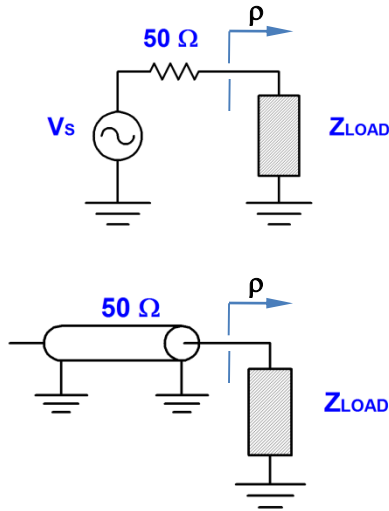


Smith Chart

Lumped Element Z-Matching

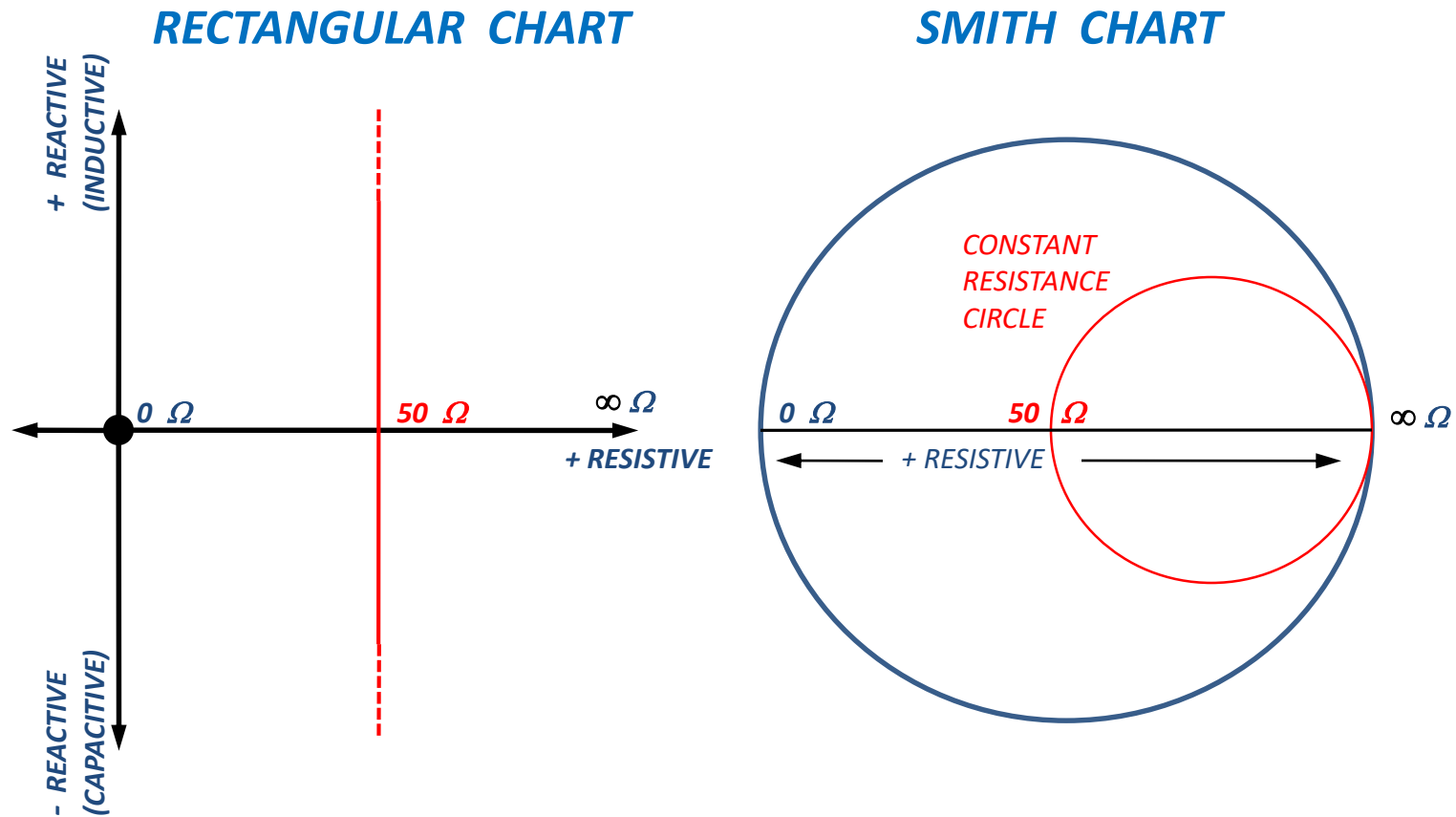
Origin of the Smith Chart

REFLECTION COEFFICIENT: ρ



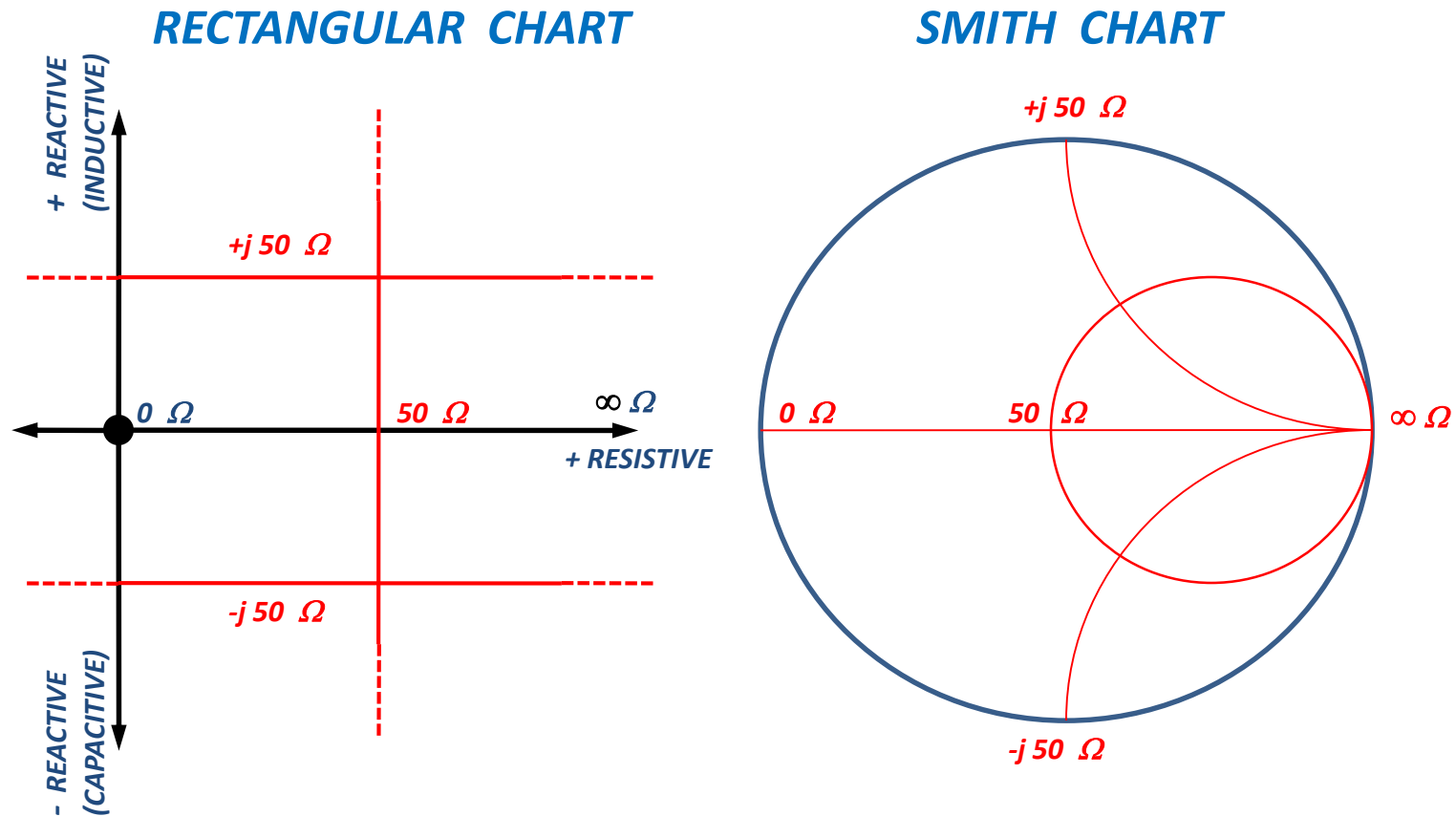
- ρ IS RATIO OF REFLECTED TO FORWARD VOLTAGE AT LOAD
- ρ IS COMPLEX NUMBER: (REAL, IMAGINARY) or (MAGNITUDE, ANGLE)
- $|\rho| = 1.0$ IS MAXIMUM POSSIBLE WITH PASSIVE LOAD (TOTAL REFLECTION)
- $|\rho| = 1.0$ CIRCLE IS OUTER BOUNDARY OF STANDARD SMITH CHART

Impedance View – Constant Resistance



- $Z = R + jX$
- IMPEDANCE HAS A **REAL PART** AND AN **IMAGINARY PART**
- IMPEDANCE REPRESENTS A SERIES CONNECTION
- CONSTANT **REAL LINES** BECOME **CIRCLES** ON SMITH CHART

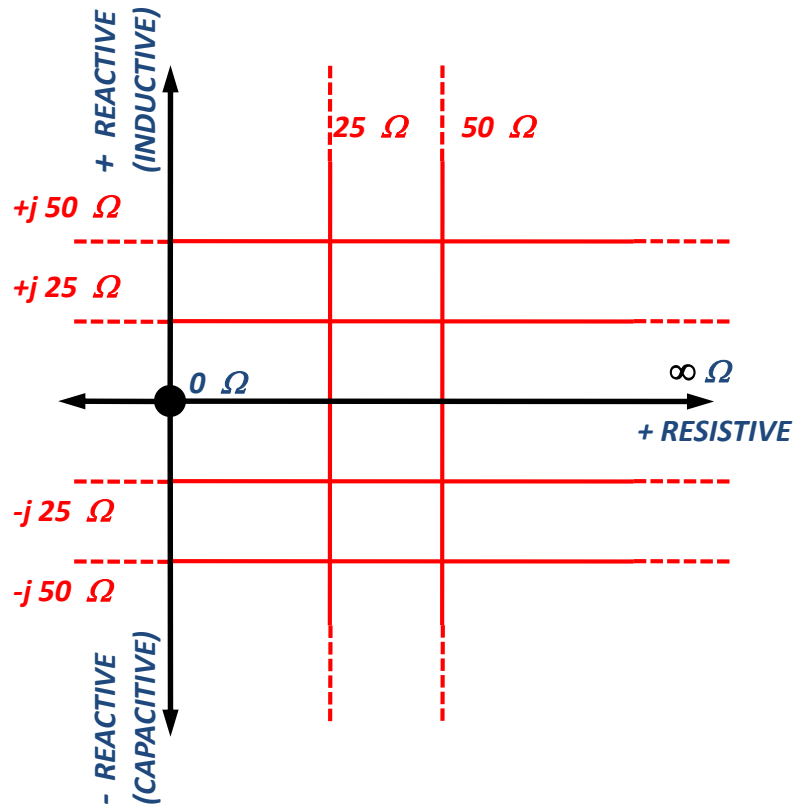
Impedance View – Constant Reactance



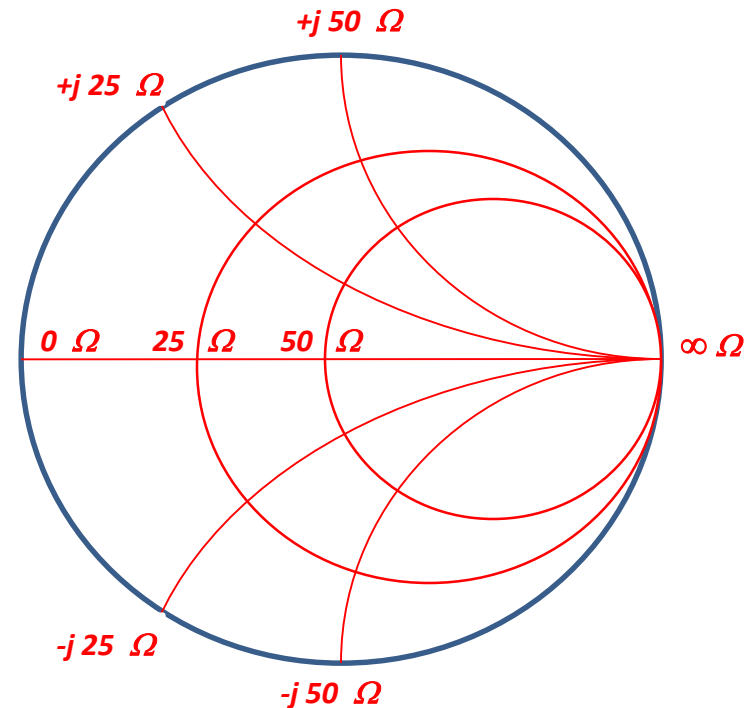
- CONSTANT **REACTANCE LINES** BECOME **ARCS** ON SMITH CHART
- UPPER HALF IS INDUCTIVE
- LOWER HALF IS CAPACITIVE
- POSITIVE REAL IS **INSIDE** THE SMITH UNIT CIRCLE

Impedance View

RECTANGULAR CHART



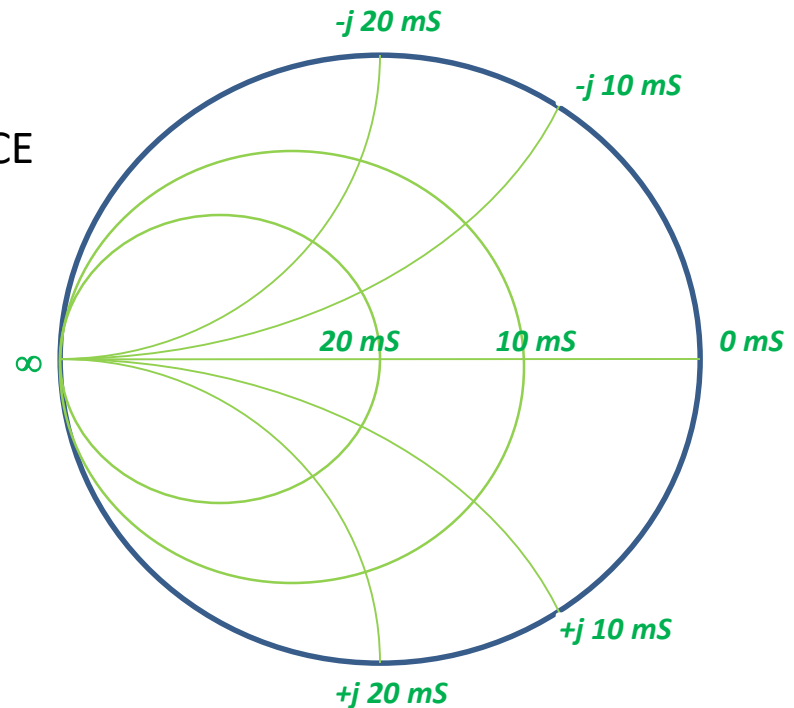
SMITH CHART



- IMPEDANCE REPRESENTATION OF THE SMITH CHART
- USUALLY IN RED
- LOWER HALF IS CAPACITIVE
- POSITIVE REAL IS **INSIDE** THE SMITH UNIT CIRCLE

Admittance View

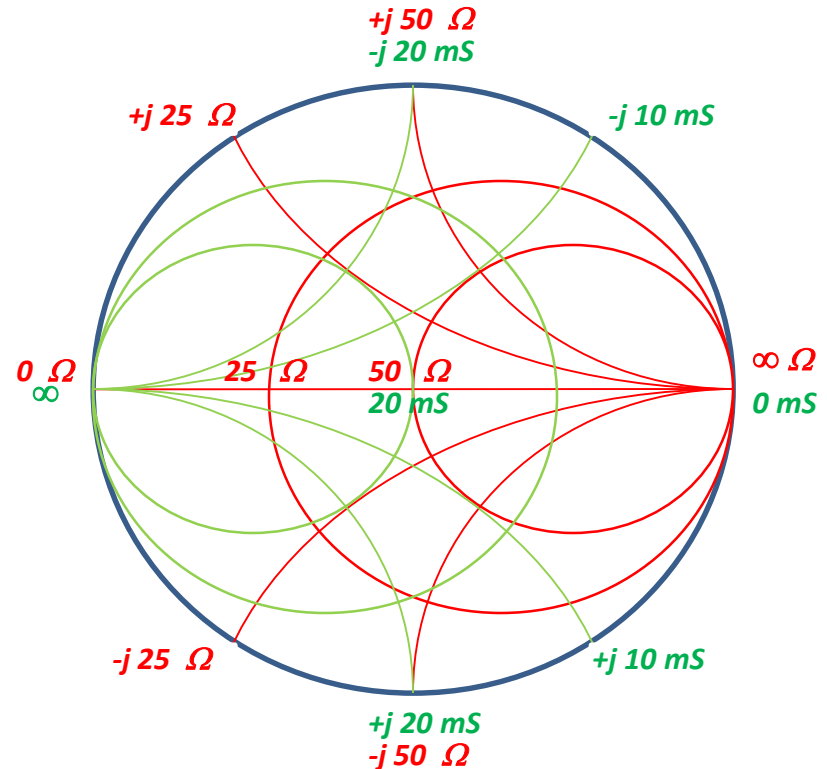
- $Y = 1/Z = G + jB$
- ADMITANCE IS RECIPROCAL IMPEDANCE
- ADMITANCE REPRESENTS A PARALLEL CONNECTION



- ADMITANCE HAS A REAL PART (CONDUCTANCE) AND AN IMAGINARY PART (SUSCEPTANCE)
- CONSTANT CONDUCTANCE IS A CIRCLE ON SMITH CHART
- CONSTANT SUSCEPTANCE IS AN ARC ON SMITH CHART

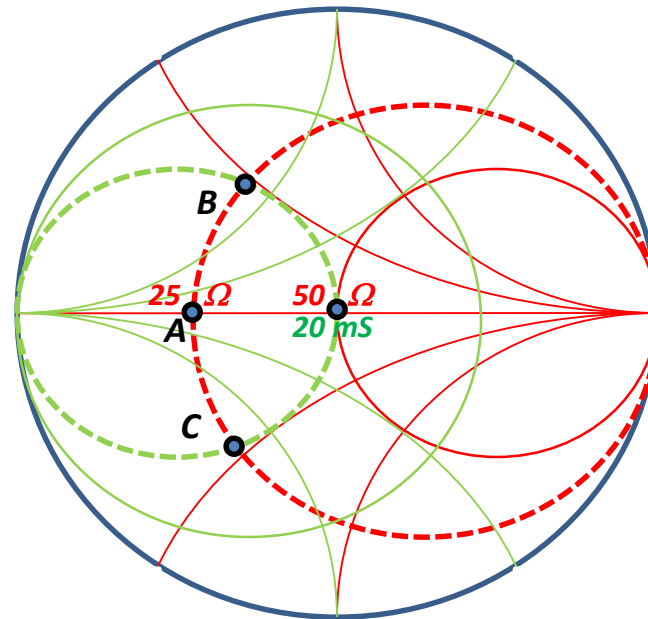
OVERLAY SMITH CHART

- BOTH IMPEDANCE AND ADMITTANCE VIEWS OF SAME POINT
- SIMULTANEOUS VIEW OF **SERIES IMPEDANCE** OR **PARALLEL ADMITTANCE**
- THIS VIEW PROVIDES A CONVENIENT WAY TO DESIGN LUMPED ELEMENT MATCHING NETWORKS



Lumped Element Z-Matching

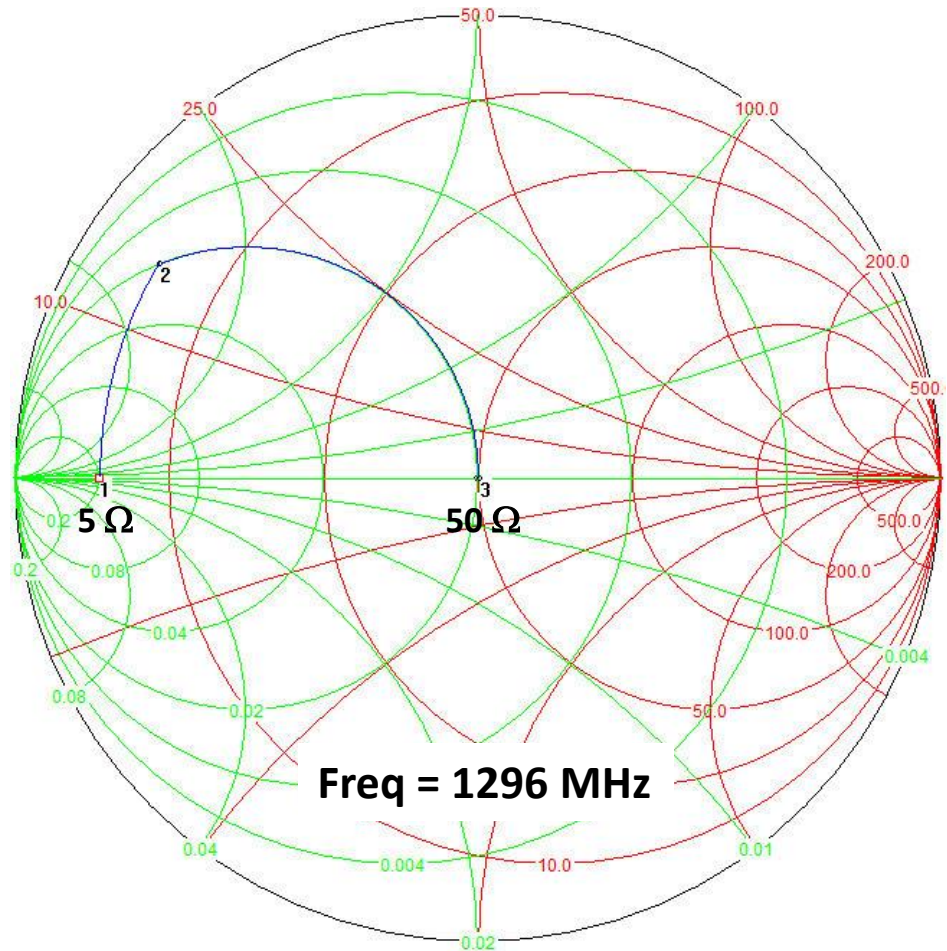
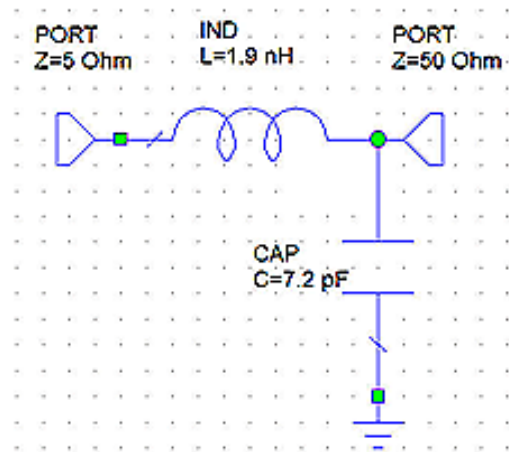
- A SIMPLE EXAMPLE IS TO MATCH BETWEEN 25Ω AND 50Ω
- FROM THE 25Ω POINT WE FIRST USE THE IMPEDANCE VIEW TO MOVE TO EITHER POINT **B** OR **C**
- THE (+) REACTIVE SHIFT FROM **A** TO **B** REPRESENTS A SERIES INDUCTOR
- THE (-) REACTIVE SHIFT FROM **A** TO **C** REPRESENTS A SERIES CAPACITOR
- NOTE THAT BOTH **B** and **C** ARE ON THE 20 mS CIRCLE. THIS ALLOWS US TO REACH 50Ω WITH A SHUNT ELEMENT



- THROUGH **B** REQUIRES SERIES INDUCTOR AND SHUNT CAPACITOR
- THROUGH **C** REQUIRES SERIES CAPACITOR AND SHUNT INDUCTOR

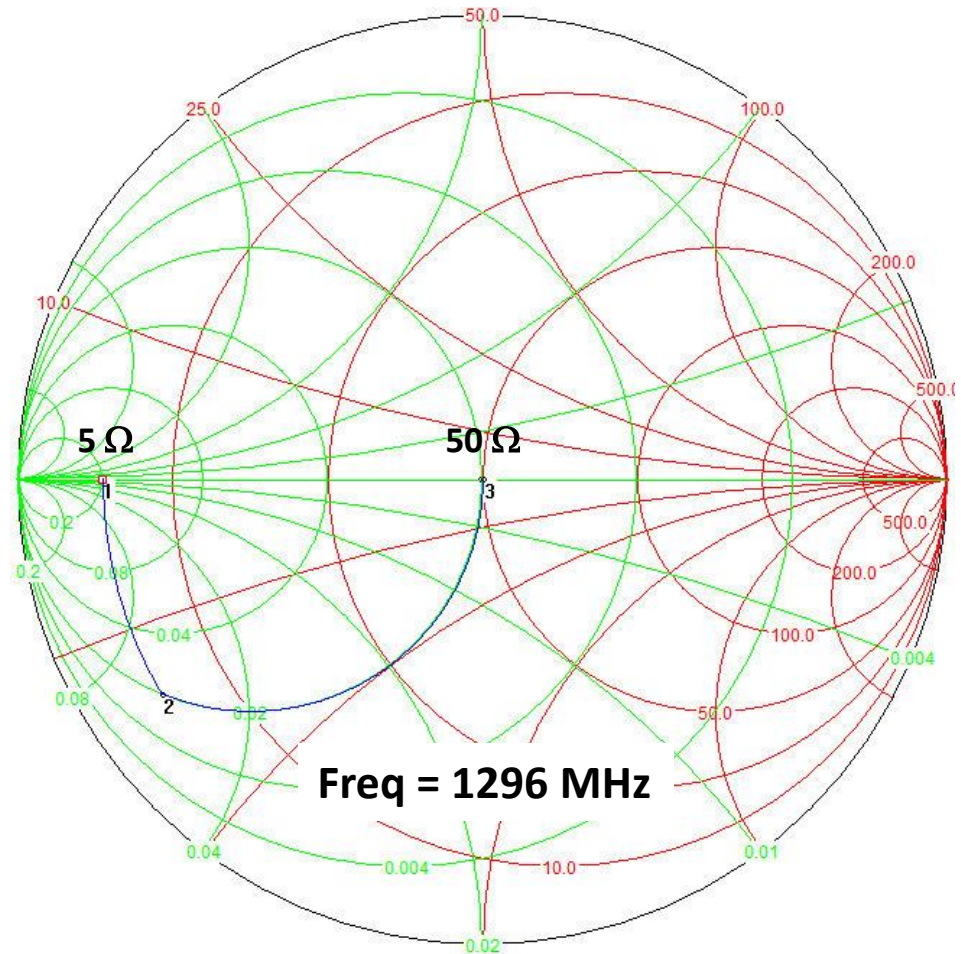
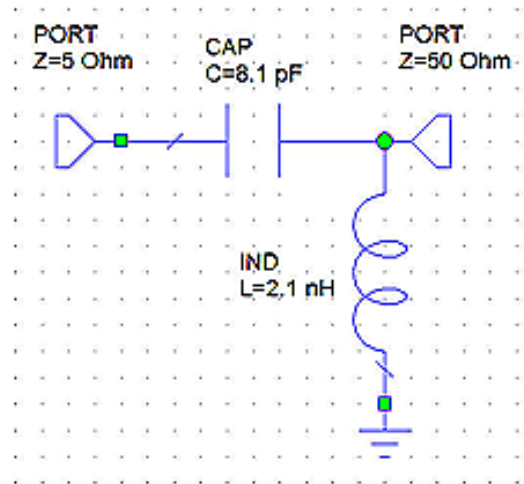
Examples: LP

- 5 Ω to 50 Ω MATCH
- N=2 : SERIES L SHUNT C
- LOWPASS ELEMENTS



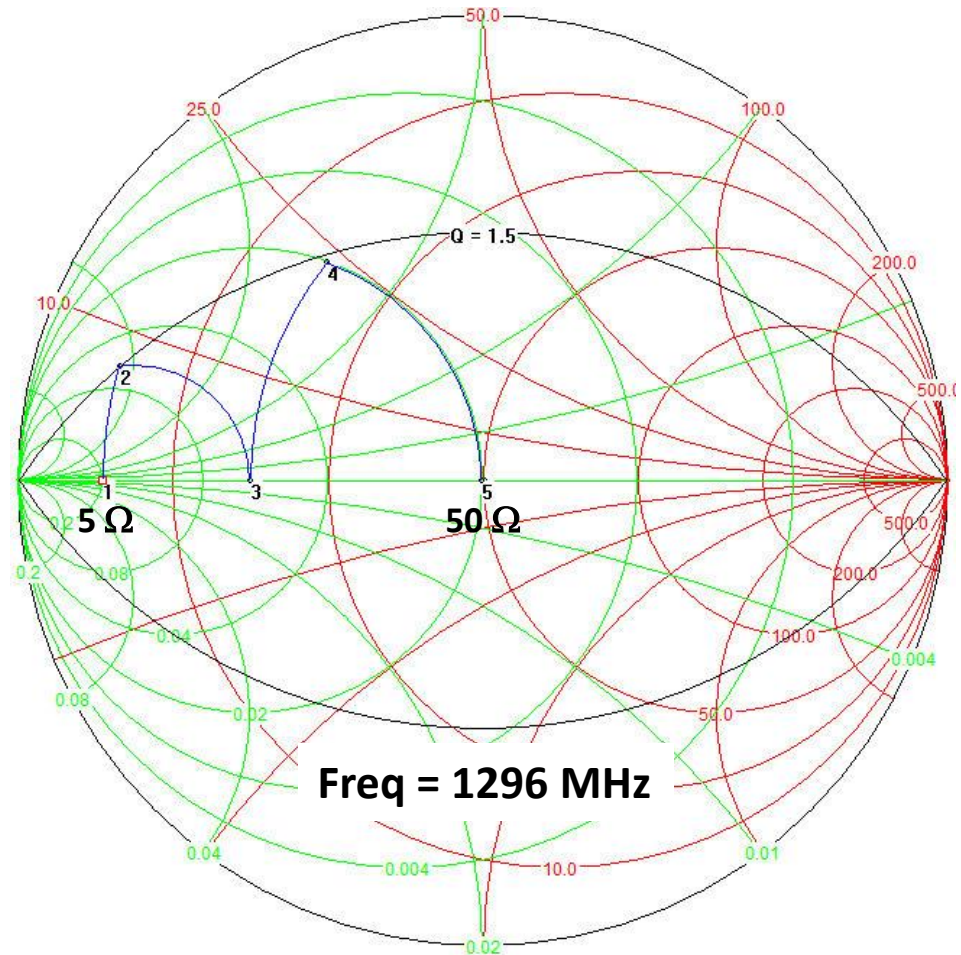
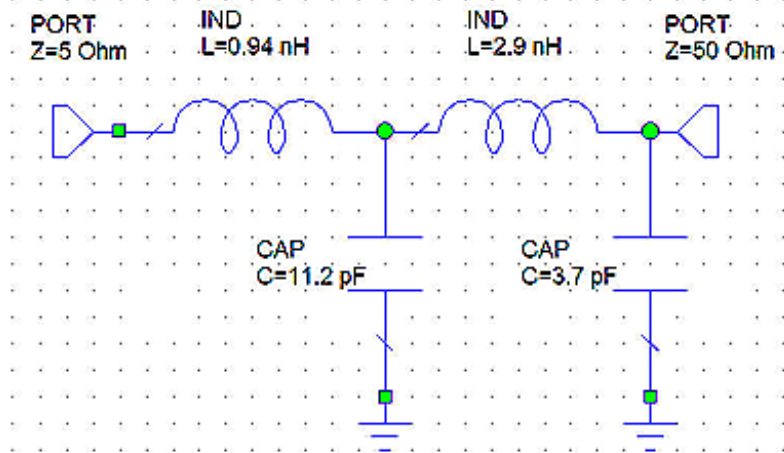
Examples : HP

- $5\ \Omega$ to $50\ \Omega$ MATCH
- $N=2$: SERIES C SHUNT L
- HIGHPASS ELEMENTS



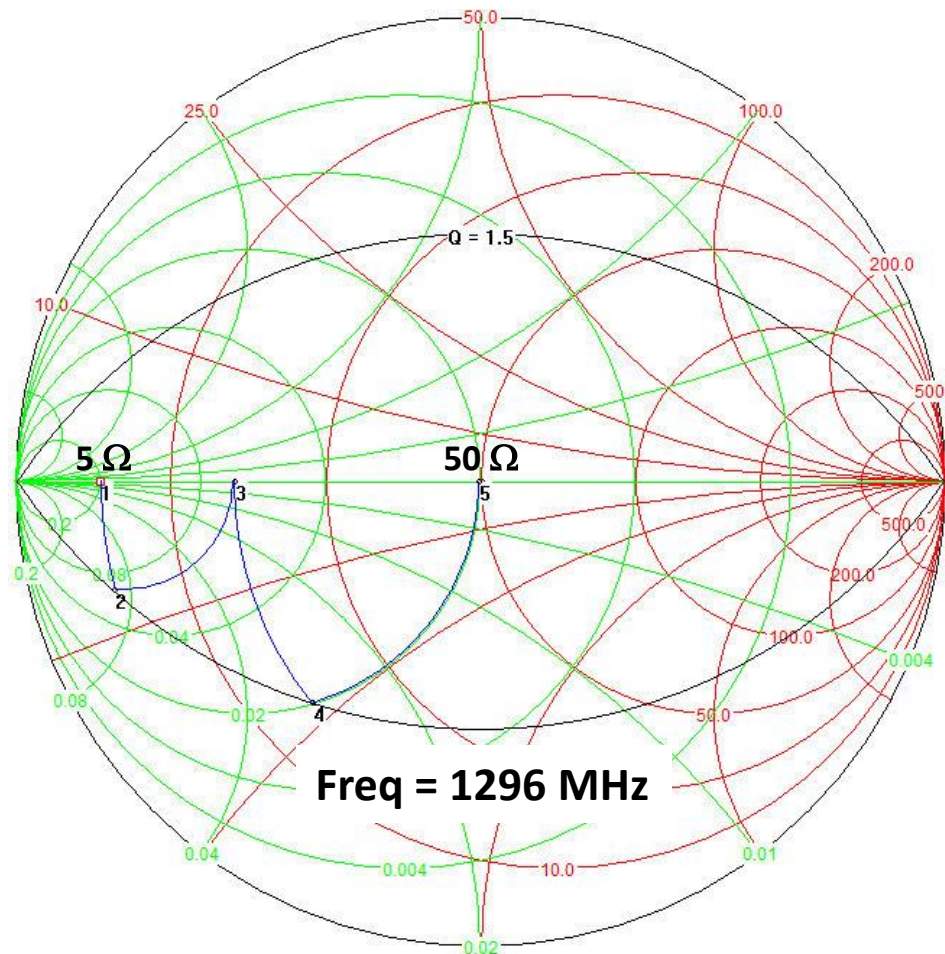
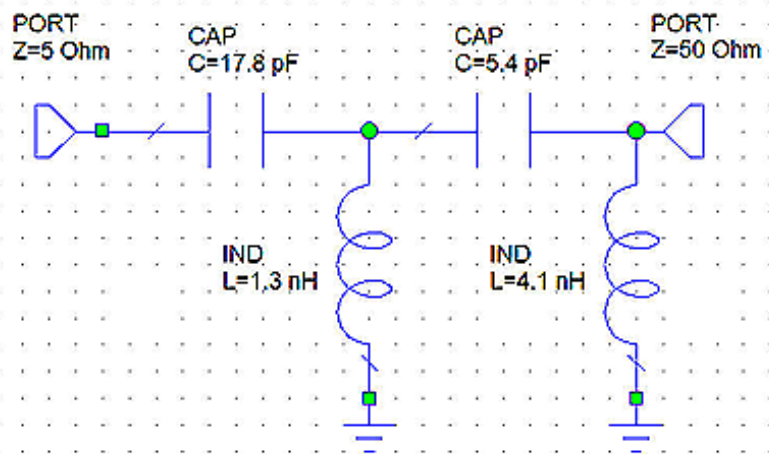
Examples : LPLP

- $5\ \Omega$ to $50\ \Omega$ MATCH
- N=4 : SERIES L SHUNT C
SERIES L SHUNT C
- LOWPASS ELEMENTS



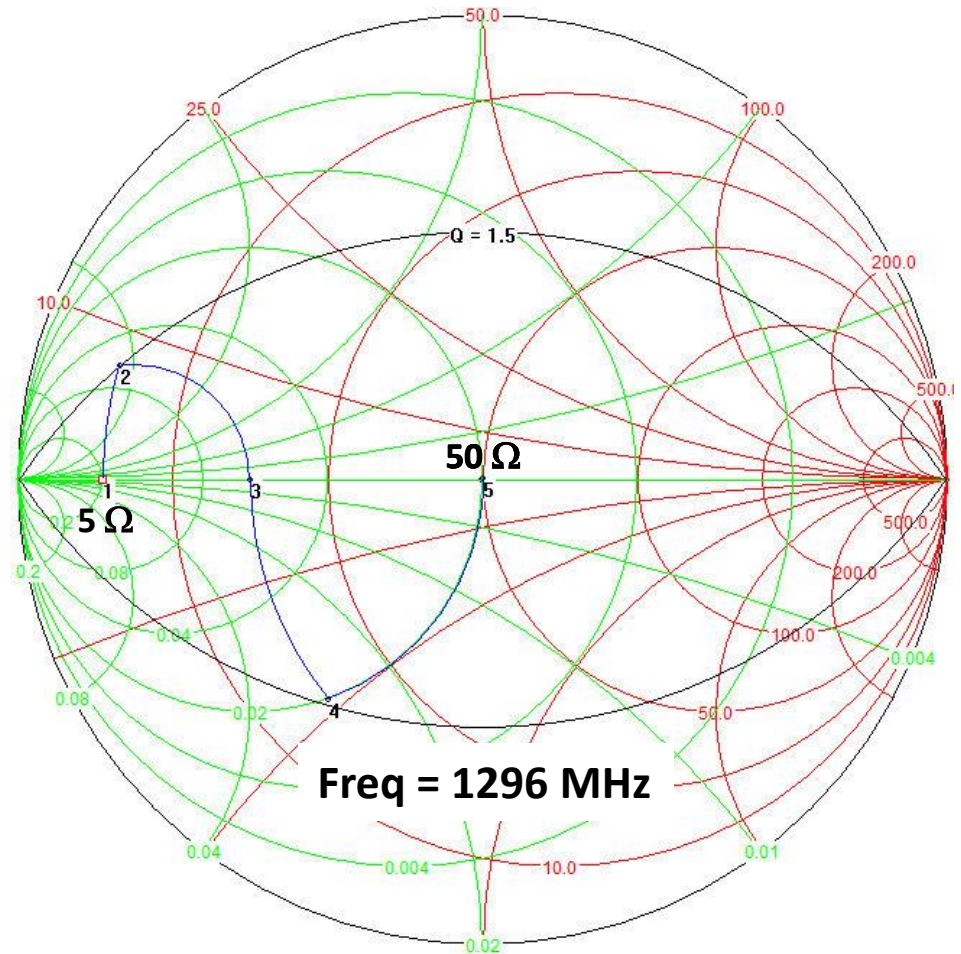
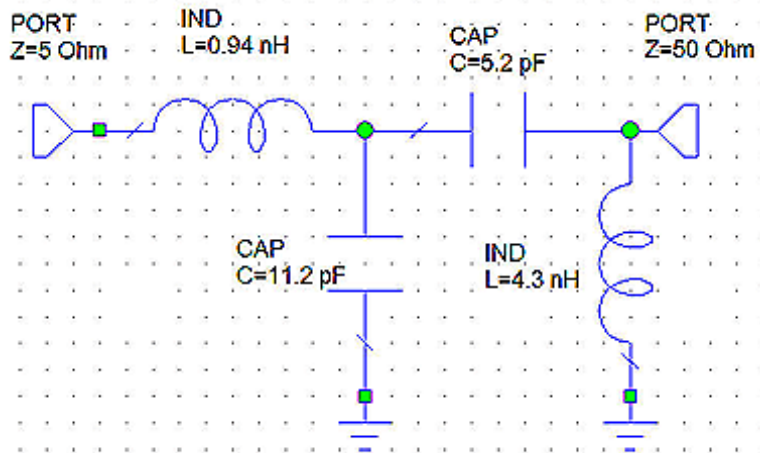
Examples : HPHP

- $5\ \Omega$ to $50\ \Omega$ MATCH
- N=4 : SERIES C SHUNT L
SERIES C SHUNT L
- HIGHPASS ELEMENTS



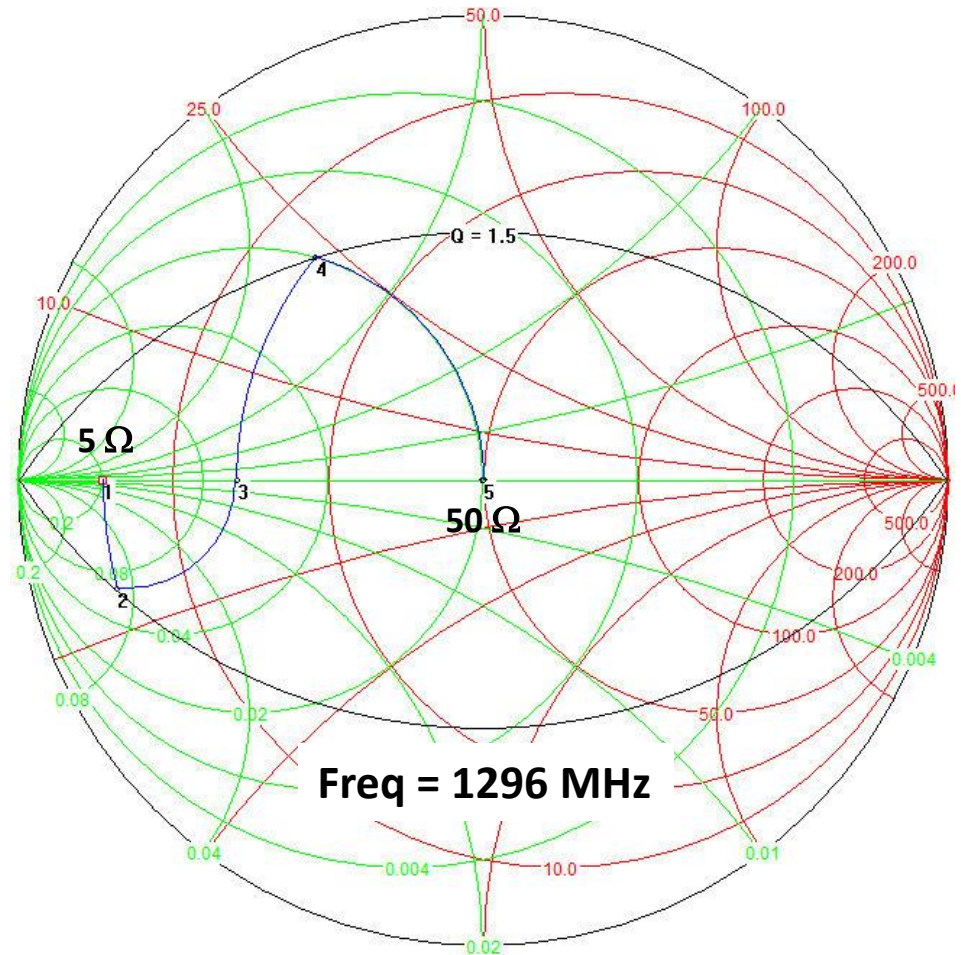
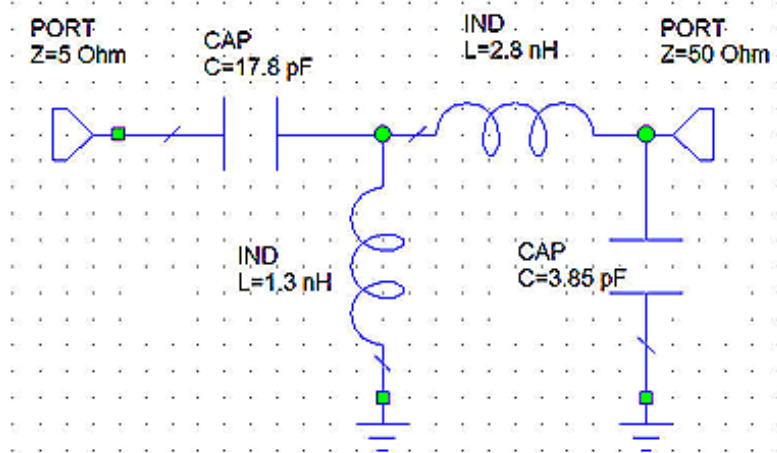
Examples : LPHP

- $5\ \Omega$ to $50\ \Omega$ MATCH
- N=4 : SERIES L SHUNT C
SERIES C SHUNT L
- BANDPASS ELEMENTS

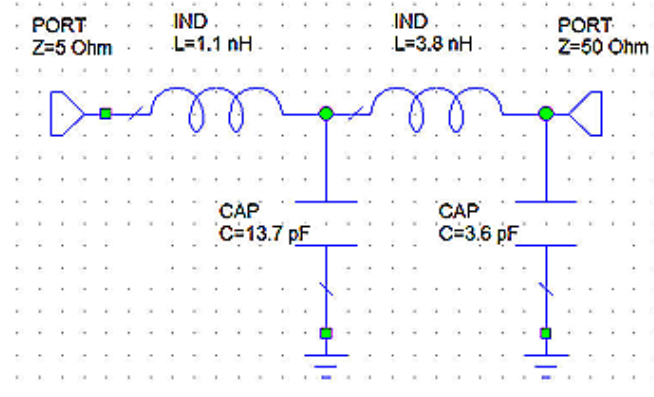
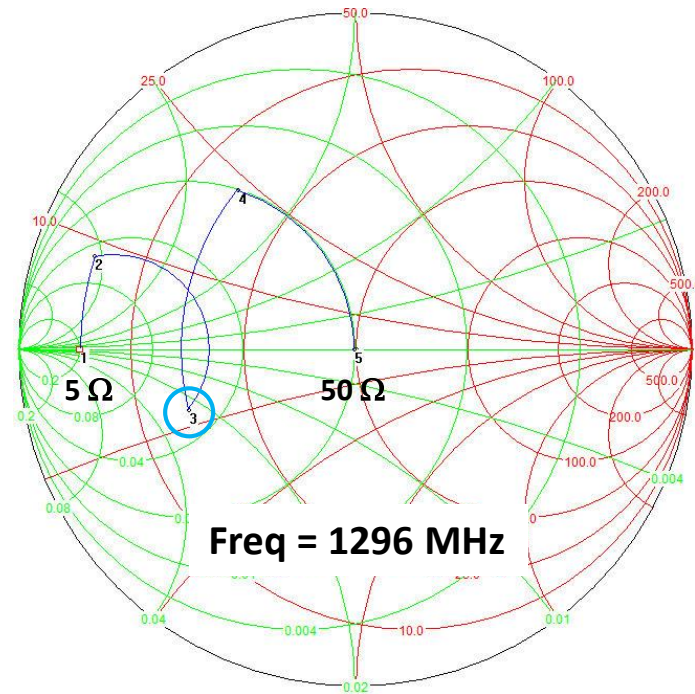
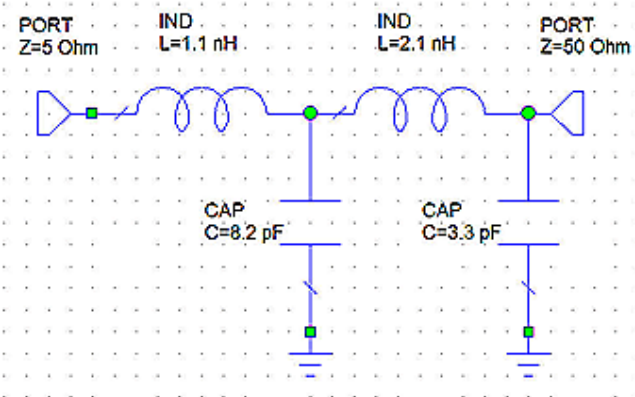
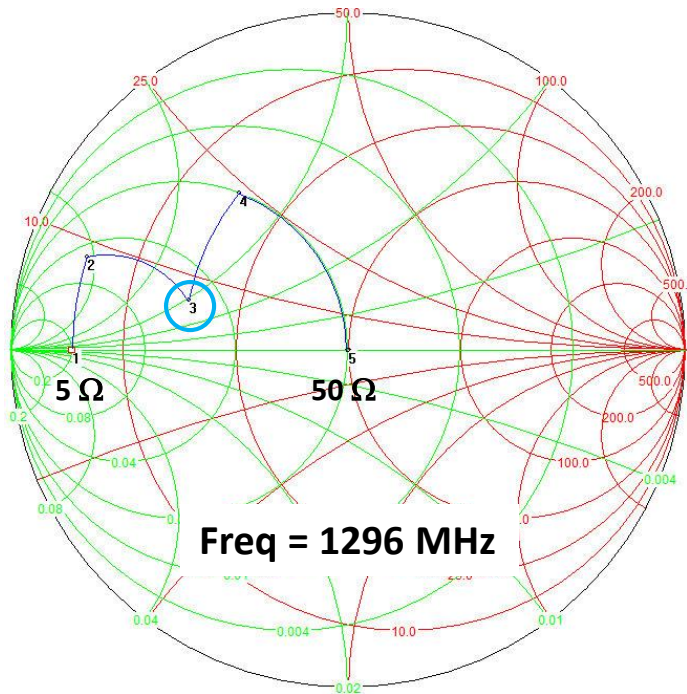


Examples : HPLP

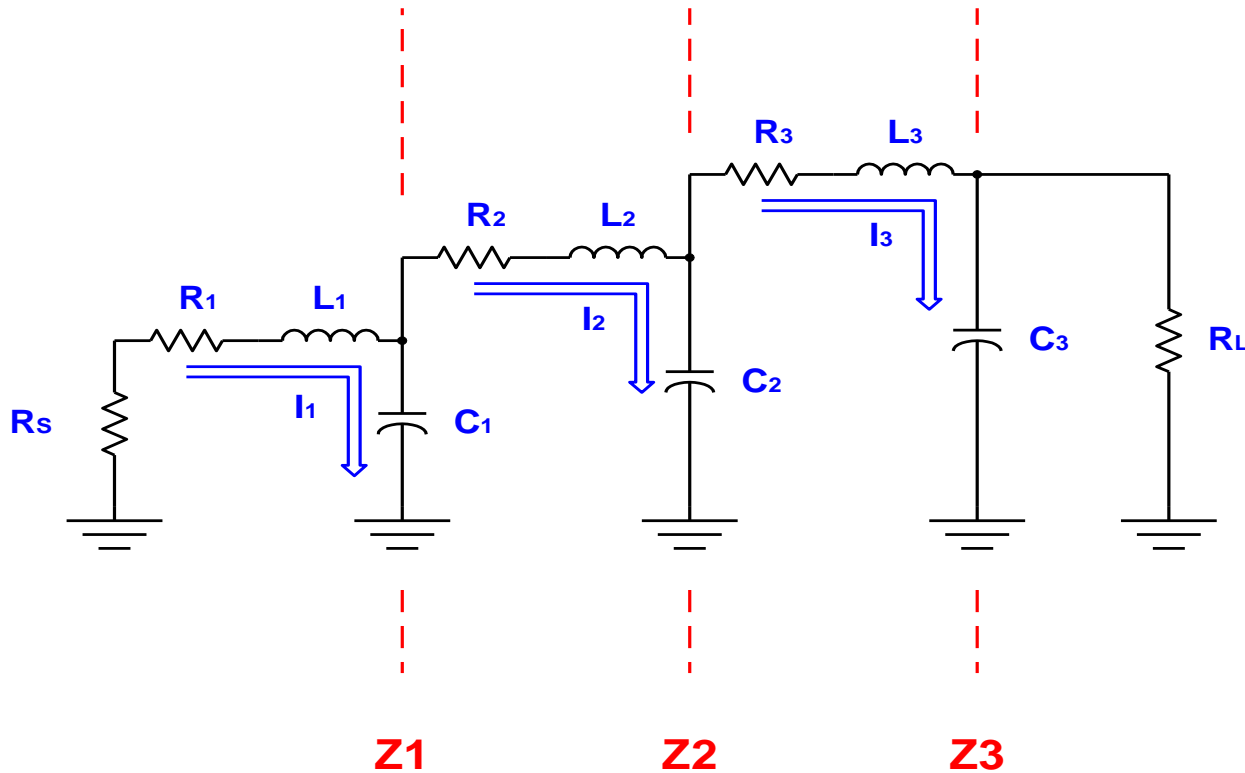
- $5\ \Omega$ to $50\ \Omega$ MATCH
- N=4 : SERIES C SHUNT L
SERIES L SHUNT C
- BANDPASS ELEMENTS



Different Internal Z



LOSS CONSIDERATIONS

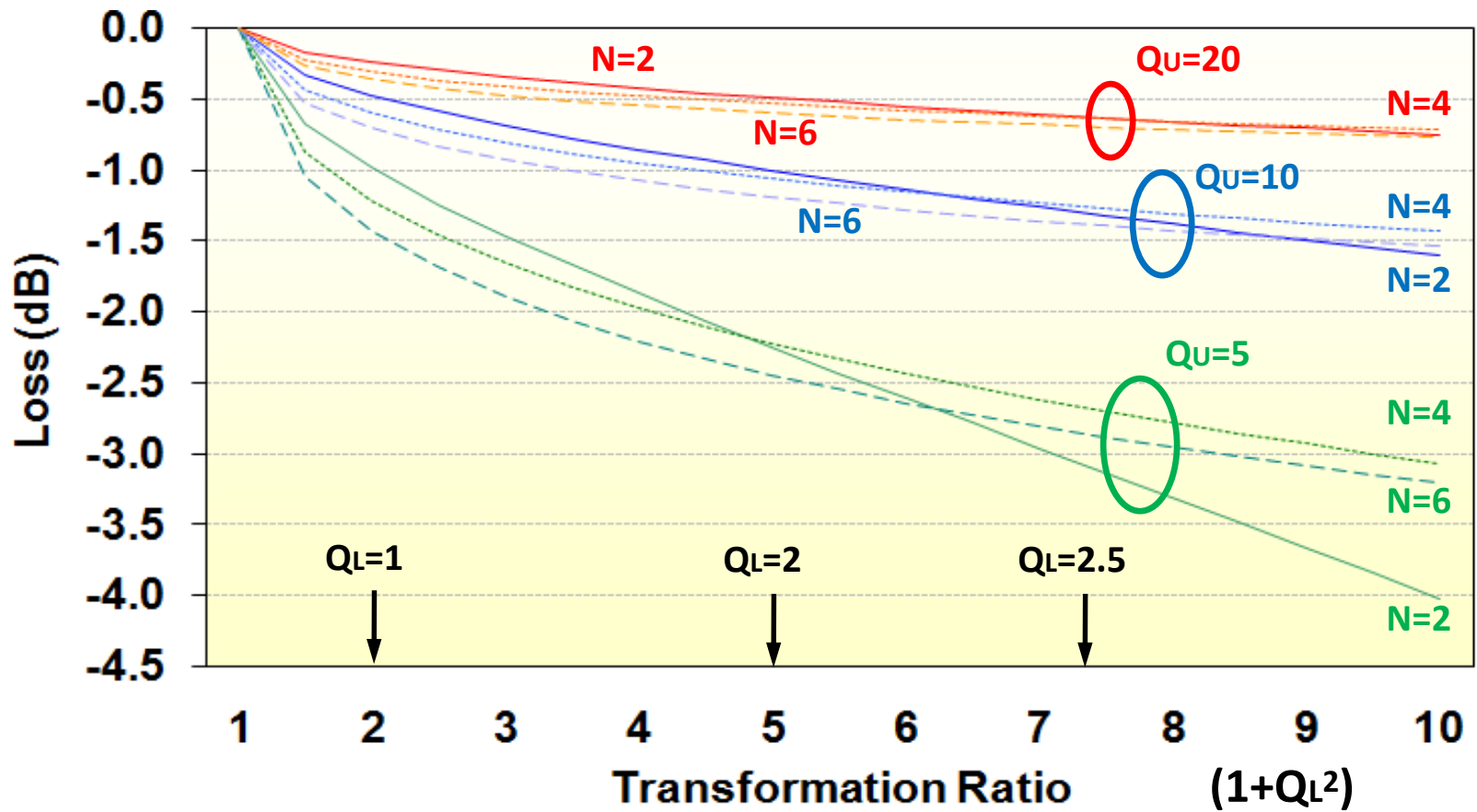


$$I_1 > I_2 > I_3$$

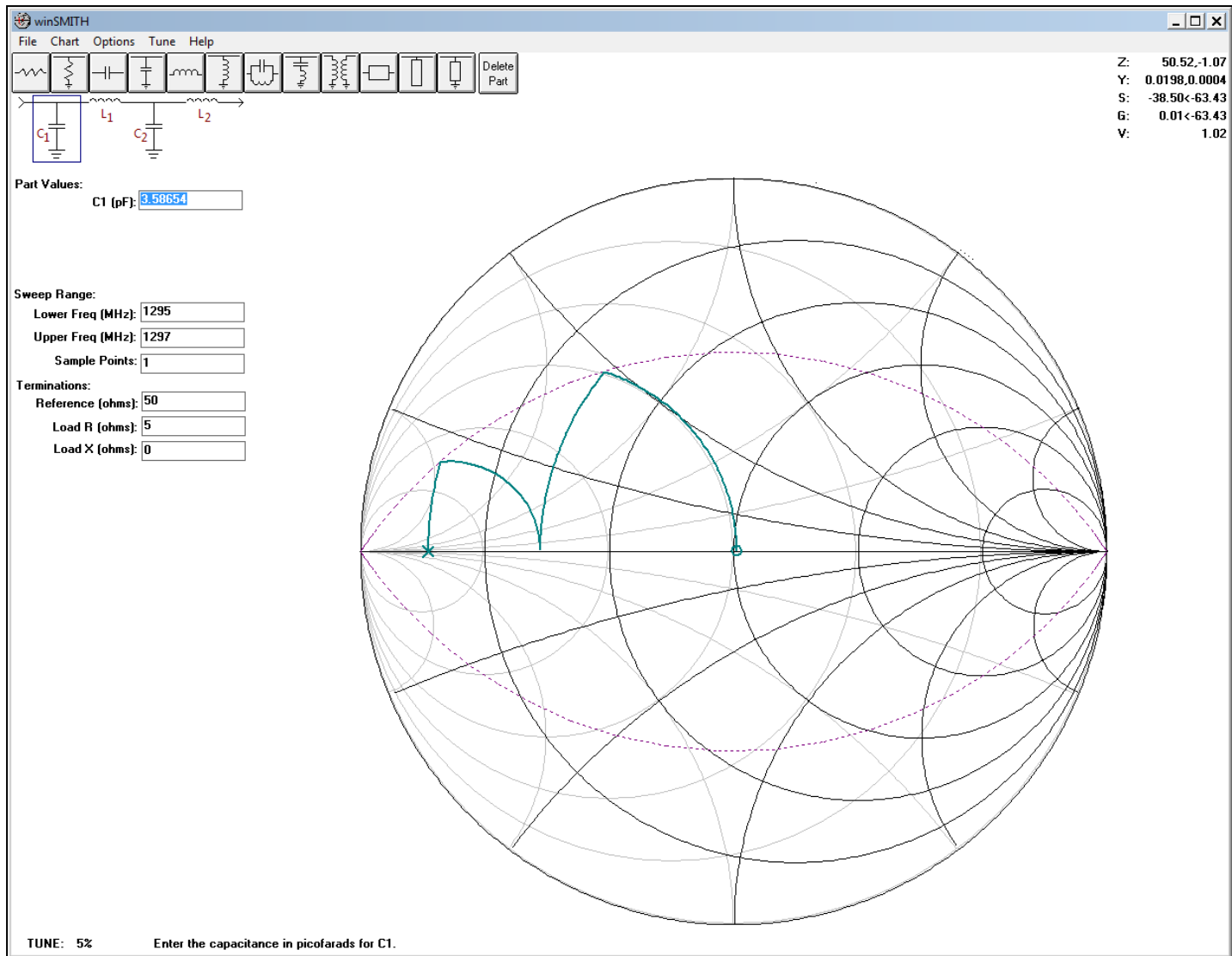
$$Z_1 < Z_2 < Z_3$$

- Power transfer of each section is $(Q_U - Q_L) / Q_U$
- Impedance transformation requires $Q_L > 1$
- Z transformation per section is $1 + Q_L^2$
- $I^2 R$ losses (primarily in inductors) produces insertion loss

LOSS TRADE-OFFS



Software Tools: *winSMITH*



Software Tools: *SMITH*

